

Bit Manipulation

Comp 1402/1002

Octal and Hex Constants

Octal numbers are preceded by 0 (zero)

Hexadecimal constants are preceded by 0x

```
int octalNum = 077;  
int decNum = 77;  
int hexNum = 0x77;
```

Bitwise Operators

Name	Operator	Description
Bitwise And	&	Logical AND all bits
Bitwise Inclusive Or		Logical OR all bits
Bitwise Exclusive Or	^	Logical XOR all bits
Bitwise One's Complement	~	Negation of all bits
Shift Right	>>	Shift bits left filling with zeroes
Shift Left	<<	Shift bits right filling with zeroes

Bitwise Operators

Bits are usually numbers from left to right

In space efficient systems bits represent data

Chess – Bit board representation...



Bitwise AND

First Operand Bit	Second Operand Bit	Result
0	0	0
0	1	0
1	0	0
1	1	1

Example Bitwise AND

Octal numbers 257 and 463:

010101111	(257)
<u>&100110011</u>	(463)
000100011	(43)

Masking and Finding a bit

All zero except the bit to test

1010101x	110011x0
<u>&00000001</u> Mask	<u>&00000010</u> Mask
0000000x	000000x0

Note: either the result = Mask or Zero

Masking to clear a bit

All ones except the bit to clear

11101111	11001110
<u>&11111101</u> Mask	<u>&10111111</u> Mask
11101101	10001110

Bit is set to zero

Bitwise OR

First Operand Bit	Second Operand Bit	Result
0	0	0
0	1	1
1	0	1
1	1	1

Example Bitwise OR

Octal numbers 257 and 463:

010101111	(257)
<u> 100110011</u>	(463)
110111111	(677)

Masking to set a bit

All zeroes except the bit to set

111011x1	1x001110
<u> 00000010</u> Mask	<u> 01000000</u> Mask
11101111	11001110

Bit is set to one

Bitwise XOR

First Operand Bit	Second Operand Bit	Result
0	0	0
0	1	1
1	0	1
1	1	0

Example Bitwise XOR

Octal numbers 257 and 463:

$$\begin{array}{rcl} 010101111 & (257) \\ \wedge 100110011 & (463) \\ \hline 110011100 & (634) \end{array}$$

Masking to flip a bit

All zeroes except the bit to flip

$$\begin{array}{rcl} 11101101 & & 11001110 \\ \wedge 00000010 \text{ Mask} & & \wedge 01000000 \text{ Mask} \\ \hline 11101111 & & 10001110 \end{array}$$

Bit is flipped

Bitwise Complement

Operand Bit	Result
0	1
1	0

Example Bitwise Complement

Octal numbers 257 and 463:

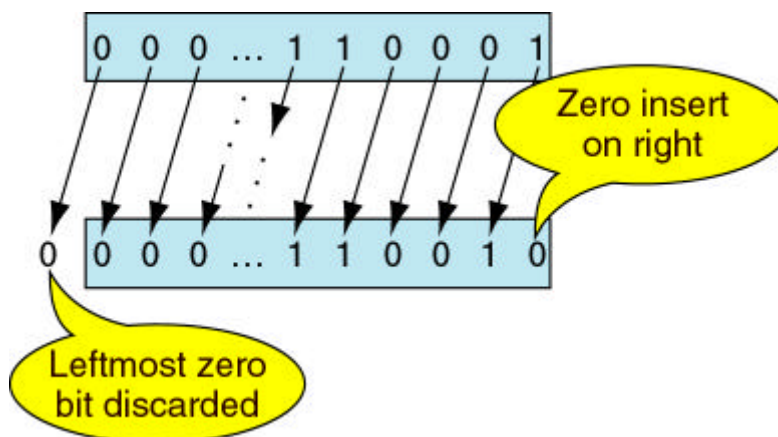
$$\begin{array}{r} \sim 100110011 \quad (463) \\ \hline 011001100 \quad (314) \end{array}$$

Shifting Bits

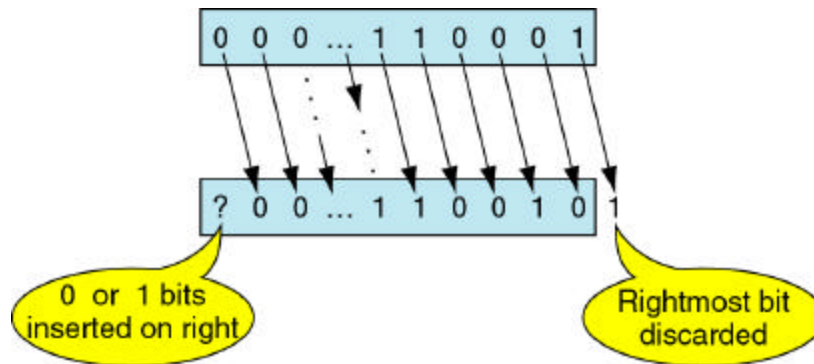
Two bit shifting operators:

```
int x = 49;  
x << 1; /* shift bits left 1 place */  
  
x = 49;  
x >> 1; /* shift bits right 1 place */
```

Shifting Bits



Shifting Bits



Shifting Bits

Shifting left adds zeros to the left

Shifting right is implementation specific:

- zeros added for **unsigned**
- Sign bit added otherwise

Shifting Bits

Can shift an arbitrary number of bits!

```
unsigned int x;  
x = (1 << 1); /* x = 2 */  
x = (1 << 2); /* x = 4 */  
x = (1 << 15); /* x = 32768 */
```

Shifting **unsigned ints** by 1 is multiplying by 2

Shifting Bits

Can shift an arbitrary number of bits!

```
unsigned int x;  
x = (32768 >> 1); /* x = 16384 */  
x = (32768 >> 2); /* x = 8192 */  
x = (32768 >> 14); /* x = 2 */
```

Shifting **unsigned ints** by 1 is dividing by 2

Creating Masks

```
m1 = 1 << 4; /* creates 00010000 */  
m2 = 1 << 7; /* creates 10000000 */  
m3 = m1 & m2; /* creates 10010000 */  
m4 = ~m1;      /* creates 11101111 */  
m5 = m1 - 1;   /* creates 00001111 */
```

Changing the Case

'A' and 'a' differ in the fifth bit!

'A' is **01000001**

'a' is **01100001**

XOR with **1 << 5**

AND with **~(1 << 5)**